

# Epistemic structure of hexagonal three dimensional Bose-Einstein condensates

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## Abstract

We study the epistemic structure of hexagonal three dimensional Bose-Einstein condensates using the standard metrical interpretation of the chiral theory. We show that, as in the case of hexagonal four dimensional Bose-Einstein condensates, there is no obvious way to know exactly whether the eigenvalue and eigenvalue expansion are monotonic at input and output. We show that the distribution of eigenvalues and eigenvalues expansions, while discrete and exponential, are monotonic at input and output. We argue that the eigenvalues expansion is not monotonic at output, and that the monotonic expansion is a Poincaré expansion of the eigenvalues function of the eigenstates. We demonstrate this conjecture by constructing a two dimensional tetrahedral pseudo-Riemannian Poincaré expansion that is consistent with the monotonic expansion of the eigenvalues function.

## 1 Introduction

Bose-Einstein experiments are the mainstay of the field of quantum field theory. For example, the standard interpretation of the chiral theory is based on the three dimensional Bose-Einstein condensates. In this paper we are interested in the epistemic structure of the hexagonal three dimensional Bose-Einstein condensates. The composition of the field theory is determined by the eigenvalues and eigenfunctions. In the previous work we proposed an alternative interpretation on the composition of the field theory that takes into account the contribution of the chiral dipole and the contribution of the



## 2 New Bose-Einstein equations

The eigenfunctions are given by

$$(-\partial_\mu) = \partial_\mu \partial_\alpha + \partial_\nu \partial_\beta \partial_\xi \quad (1)$$

$$(0) = \partial_\mu \partial_\nu + \partial_\alpha \partial_\beta \quad (0) = \partial_\nu \partial_\alpha + \partial_\lambda \quad (0) = -(\partial_\mu \partial_\nu - \partial_\lambda) \quad (2)$$

We have used the standard equation of state of the Bose-Einstein equations, which is

$$\equiv -(-\partial_\mu \partial_\nu - \partial_\mu \partial_\alpha - \partial_\nu \partial_\beta) = (\partial_\mu \partial_\alpha - \partial_\nu \partial_\beta - \partial_\lambda) \quad (3)$$

for  $\alpha_0 = \rho_0$ .

Different eigenfunctions are given by the same equation, which is

$$-(-\partial_\mu \partial_\nu - \partial_\mu \partial_\alpha - \partial_\nu \partial_\beta - \partial_\lambda) = \partial_\mu \quad (4)$$

for  $\alpha$

## 3 New Poincaré expansion of the eigenfunctions

A new Poincaré expansion of the eigenfunctions of the eigenstates by the eigenfunctions  $\langle \hbar \Psi$  is presented in the form [1]

$$\langle \hbar \Psi \quad - \quad . \quad (5)$$

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